## changes from version 28/29 to 30:

Sec.2.1 boxed the Fact, added (4) to exercises
Sec.2.3 added Corollary 2.1 (same as Lemma 2.4)
Sec.2.4 added first footnote
Sec.2.4 final definition added $\mathrm{V}(\mathrm{S})$ comment, and added defn of affine subvariety.

Sec.2.7 added final sentence to the proof.
Sec.2.11 added remark.
Sec.2.12 expanded last footnote.
Sec.2.13 final exercise (3): mentioned that dominant suffices
Sec.3.3 second definition expanded, defn of proj.subvariety
Sec.3.4 last exercise: fixed special case, also ok
Sec.3.5 fixed Warning, upgraded last exercise to a Lemma
Sec.3.6 moved first paragraph to 3.10
Sec.3.6 fixed first theorem
Sec.3.11 Lemma 3.4 fixed second half
Sec.4.3 added in remark that GL acts by left multiplication
Sec.5.4 fixed the map
Sec.6.0 new
Sec. 6.1 and 6.3 removed the lamba_i that appeared in the sums, as they were unnecessary.

Sec.6.4 final remark added a final sentence about what happened.
Sec.7.3 first Fact footnote: fixed (Urysohn's Lemma)
Sec.9.1 improved first paragraph by stating Corollary 9.1 explicitly
Sec.9.1. above Examples, added comment about what happens for linear subspaces of smaller dimension.

Sec.9.1 Example 4 improved explanation
Sec.9.2 second line was missing [...]_m subscript
Sec.9.2 Example 2 need $F$ irreducible
Sec.10.3 Lemma 10.7 simplified to considering just an affine variety rather than a qpv.

Sec.11.1 added defn of quasi-projective subvariety
Sec.11.1 Corollary: $Y$ in $A^{\wedge} \mathrm{m}_{\mathrm{m}}$ not $\mathrm{A}^{\wedge} \mathrm{n}$
Sec.11.1 fixed the Warning

Sec.11.2 lemma 11.1 cleaned up the statement
Sec.11.3 first bunch of Remarks: (3) added (previous 3 now inside 2). In Remark (4) fixed typo k[X]beta is k[Y]beta.

Sec. 11.3 second bunch of Remarks: (1) added final sentence about homogeneous localisation.
11.5 added sentence after Definition, referring to Lemma 10.7
12.2 Defn of birational map requires qpvs to be irreducible
12.3 in (4) added "irreducible"
12.3 Claim 1, last equation now in display style
12.3 proof of Claim 3 clarified $O X(U)=O U(U)=k[U]$
13.1 in Defn last Fn is F_N
13.1 improved picture
13.2 in proof, subclaim 2: clarified that $\operatorname{bar}\left(\mathrm{m}^{\wedge} 2\right)=m \wedge 2+I(X)$
14.1 Definition of proper transform: "or blowup of $X$ at 0 ".
14.2 first Example: added (for $\mathrm{a}=0 . .$. ) also edited last sentence
15.2 Motivation added at start, and below added "Notice all f in I will vanish..."
15.4 second Example, typo: open subset $V(p) \backslash c a p$ Df of $V(p)$.
16. footnote on normal space: added the Example of a point.

